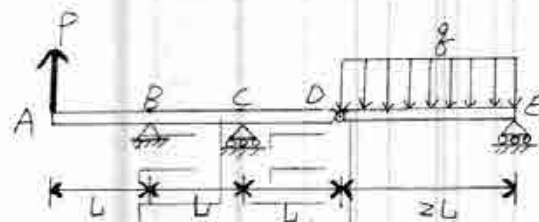


- 考生注意: 1. 依次序作答, 只要標明題號, 不必抄題。  
 2. 答案必須寫在答案卷上, 否則不予計分, 並限以藍黑色筆作答。  
 3. 試題隨卷繳回。(餘請詳閱試場規則)

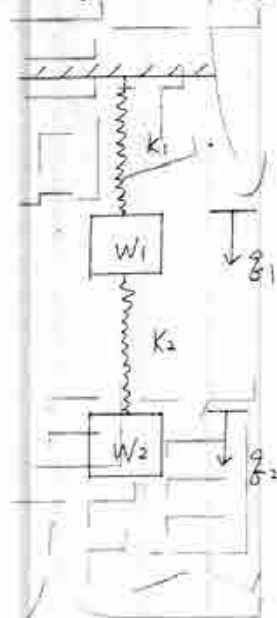
- (1) The compound beam  $ABCDE$  shown in the Figure 1 consists of two beams ( $AD$  and  $DE$ ) joined by a hinged connection at  $D$ . The hinge can transmit a shear force but not a bending moment. A force  $P$  acts upward at  $A$  and a uniform load of intensity  $q$  acts downward on beam  $DE$ . Draw the shear-force and bending-moment diagrams for the compound beam. [25%]

Figure 1



- (2) Consider weights  $W_1$  and  $W_2$  supported by the linear springs as shown in Figure 2. The spring constants are  $k_1$  and  $k_2$ . Determine the displacements  $q_1$  and  $q_2$  of the weights as functions of  $W_1$ ,  $W_2$ ,  $k_1$ , and  $k_2$ . Assume that the weights are applied slowly so that the system is always in equilibrium as the springs are stretched from their initially unstretched lengths. [25%]

Figure 2

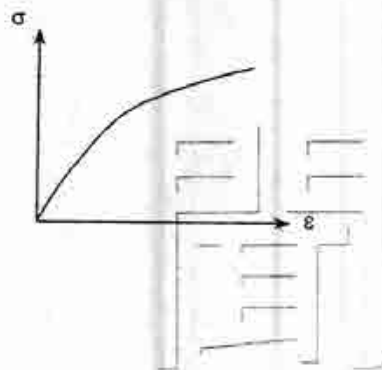


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3. 試題隨卷繳回。(餘詳詳閱試場規則)

- (3) The stress-strain diagram of an axial-loaded member is shown, and can be described by the equation  $\epsilon = 0.45(10^{-6})\sigma + 0.36(10^{-12})\sigma^3$ , where  $\sigma$  is in kPa.
- (a) Determine the yield strength assuming a 0.2% offset. (15%)
- (b) Determine the elongation if the member is subjected to a tensile axial force of 2.5 kN; the cross section area and the length of the member are  $25\text{cm}^2$  and 100cm, respectively. (10%)



- (4) A reinforced concrete beam was tested to failure and had a rectangular section: width  $b = 35\text{ cm}$  and depth  $d = 50\text{ cm}$ . At failure, the strain in the tension steel was recorded and was equal to 0.002615. The strain in the concrete at failure may be assumed to be 0.003. If  $f'_c = 210\text{ kgf/cm}^2$ ,  $f_y = 4200\text{ kgf/cm}^2$  and the Young's modulus of steel  $E_s = 2.04 \times 10^6\text{ kgf/cm}^2$ , (a) determine the steel area provided in the section to develop the above strains (15%); (b) determine the ultimate applied moment (10%). You must assume an equivalent *rectangular* compressive stress distribution and neglect the tensile stress of concrete at failure. The strength of the equivalent compressive region of concrete is  $0.85f'_c$ , and the  $\beta_1$  factor for evaluating the depth of the equivalent compressive region is 0.85 for  $f'_c = 210\text{ kgf/cm}^2$ .

